# Modeling of Multiagent Based Railway System using BDI Logic 

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#### Abstract

Multi-Agent based modeling \& simulation is an evolving paradigm for solving real life problems for solving real life problems for the last one decade. In this paper, we model the manually controlled Indian Railway to a multi agent based automated system which is robust in nature and provide a fully automated collision avoidance guarantee. We consider individual entity such as station, junction and train as an agent and the whole railway network is framed as a graph. To sharpen the solutions of existing system's problems such as collisions and delays, BDI agent with first order predicate logic is incorporated in this paper. The communication and coordination between respective agents (with help of their BDI and rule base running as backbone) can now be a substitution in place of manual decisions. Thus the idea can replace the hectic job of railway control room personals in more sophisticated \& methodical way.


Keywords—Agent, Multiagent Technology, BDI Logic, Predicate Logic, Railway Management, Distributed System.

## i. Introduction

Railway system is the biggest public transportation in the world which is used to provide better transportation service to the public than private one. There are lots of advantages of using the public transport such as lesser fuel consumption, convenience, lesser fare, lesser pollution and many more. But in parallel with these advantages the existing railway system has some disadvantages also like Collisions and delays and unfortunately they are more dangerous and lossy than private transport. The probability of errors becomes higher due to involvement of human being in decision taking in technical operations of railway system. A large part of railway system is dependent on human reliability and manual operations. Human performance may be affected by many factors such as age, state of mind, physical health, attitude, emotions etc. Apart from the human reliability, the existing railway system has some other problems also. One of them is fixed Signaling System. Dependency on signaling system introduce some new challenges and problems and some of them are

- Train driver has to watch out for signal board while driving in day or night, even in bad weather also.
- Possibilities of reading aspect of any adjacent signal not meant for his route may lead to accidents.
- Driver has to control his train as per the aspect seen till he reaches / passes the signal.

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- The Signals cannot convey and temporary speed restriction imposed on account of any reasons.

Railway is a distributed system which can be efficiently modeled by the intelligent agents. A Software Agent [1] is essentially a special software component that has autonomy to provide an inter-operable interface to an arbitrary system. A Multiagent system (MAS) [2] is a group of agents, which interact with each other and negotiate in a decision to achieve a common goal. Multiagent system based modeling and simulation has been already done in various problem domains [3], [4], [5], [6]. MAS can be empowered with the help of BDI theory. BDI is a philosophical and mental model for multiagent based problems. Railway system is a Socio-Technical system which can be modeled by BDI agent [7] using three words Belief, Desire and Intension. During his lifetime an agent go though in following working loop depicted in Fig:1 :


Fig. 1: Working principle of BDI
Now apart from the BDI theory we are going to concatenate first order predicate logic in this paper which empowers the railway model many times. The combination of mathematical logic and BDI theory gives stronger solution for railway system problems because the logic gives precise meaning to mathematical statements.

The remaining section of the paper is structured as follows: in section II \& III the Related work and Scope of work is described, section IV depicts the System model. Section V deals with problem formulation \& their solution. In section VI a Case study is given. Finally we draw a Conclusion and future direction of the work in section VII.

## iI. Related Work

A number of papers have been presented for the intelligent transportation system. In [8], author works for train punctuality and he uses GSM-R to collect the information about other trains such as speed and time needed to finish the journey and on board processors to adjust speed of the train automatically. In papers [9], [10] authors give a satellite based controlling for railway system which is based on GPS (Global Positioning System) technology. In [9] author proposed to store the position of the trains located by GPS into a web server so a train can get position of the other trains from web server. In paper [10] a
concept of on board GPS receivers is suggested for controlling the Indian railway system. They state that GPS receiver can locate the position of trains and stations and then driver can take decision accordingly. Both of these papers suggest a centralized system for controlling trains and failure of satellite or web server can breakdown the whole system. Authors in [11] overcome the problems of centralized system by introducing a innovative idea of distributed multi agent system in transport. They concern the application of distributed multi agent for presenting an appropriate model of interacted distributed layers for railway transportation system but this paper is lacking to give any solution for problems that are facing in existing system. Paper [12] is presented for learning model of agents from human behavior and gives some rule based model for vehicle controlling. This paper proposed an idea to enhance agent reasoning. Authors in [13] propose an agent based modeling for railway system using fuzzy logic. Paper [14] also propose a multi agent based railway system and that system is subdivided into two different subsystems (i) Control (ii) Learning. Both the papers are limited to modeling of the system and does not provide any solution for actual problems related to collisions and delays in the system.

In paper [15] authors present first-order temporal BDI logic for forest multi-agent system and give a hierarchy of the agents and define some rules for agents. They give a case study and simulation for hierarchical agents also. This paper is lacking to give logics for interaction among sibling agents.

In [16] authors give a sound BDI architecture for autonomous locomotive control and they provide working model of multiagent system using BDI. Main attention of the authors is towards the acceleration and deacceleration of the locomotive only. It does not meet all requirements to solve some common problems of railway system such as train passing, controlling single edge track between two stations etc.

## iiI. Scope of Work

Railway plays a vital role in growth and economy of a country by giving better connectivity among the different parts of the nation. Demand of railway services are increasing rapidly with growing population. To make equilibrium between demand and supply of railway services, some advance technologies are required to enhance the quality of service. Though a lot of novel works have been done to improve the punctuality of trains, it is not adequate for the purpose. These systems need a human intervention and a periodic conscious observation. So a scarce revolution is required in this domain which can automate the whole system successfully. In our previous work [17] we design a mechanism to automate the railway system using agent technology emphasizing in syntactic communication only. To achieve a better quality of services we propose an Agent based model using BDI Logic for railway system which can act autonomously. BDI Agent modeling can replace the problem of fixed signaling approach as there is an autonomous inter-agent communication in our system. We deploy an agent to every train, station and junction to take their own decision and construct individual agent's BDI
which can give a valid flavor of the mental model of drivers. A rule base is also running as a backbone of the system, which can help the agent to take their autonomous decision. Finally our proposed system must guarantee a collision free environment which can accommodate various high speed trains with minimum delay.

## iv. System Model

We divide the modeling of railway system in two phases. In first phase we give a graph representation for tracks and stations and indicate agents present in the system. In second phase we define the BDI architecture for these agents.

## A. System Architecture

We define railway system by following tuples set:

$$
R_{\text {sys }}=\langle G, A\rangle
$$

Where, $G$ is a Graph representation of railway tracks and stations.
A is a set of agents deployed on the graph.(Figure: 2)
Now the graph $G$ can be defined as

$$
G=\langle V, E\rangle
$$

Where, $V$ is the set of vertices and $E$ is the set of directed edges that connect two adjacent vertices of the graph. $G$.
Again,
$V=S U J$
$\mathrm{S}=\left\{\mathrm{S}_{\mathrm{i}} \mid \mathrm{i}=1,2 \ldots \mathrm{n}\right\}$
$\mathrm{S}_{\mathrm{i}} \in \mathrm{S}$ represents a station node with an unique id i
$\mathrm{n}=$ Total number of stations in the system.
And $J=\left\{\mathrm{J}_{\mathrm{i}} \mid \mathrm{i}=1,2 \ldots \mathrm{~m}\right\}$
$J_{i} \in J$ represents a junction node with an unique id $i$
$\mathrm{m}=$ Total number of Junctions in the system.
Main characteristics of a junction point are

- Maximum 1 train can pass at a time from it.
- No train can wait on the junction point.
$J=\{x \mid x \in V$, and Capacity $(x)=1$ and Waiting_on $(x)=0\}$
Where, $\operatorname{Capacity}(x)=$ Maximum number of platforms at $x$ and Waiting_On $(x)=$ Waiting time of train on station x .
In the graph of this system model we are considering the directed edges so trains can move in these directions only .

$$
E_{i j k}=V_{i} \rightarrow V_{j}
$$

And $\quad E=\left\{E_{i j k} \mid V_{j}=\operatorname{Adj}_{G}\left(V_{i}\right)\right\}$
Here $\operatorname{Adj}_{G}\left(V_{i}\right)$ is a adjacency function which determines
the adjacent nodes of $\mathrm{V}_{\mathrm{i}}$.
As there may be more than one edge between $\mathrm{V}_{\mathrm{i}}$ to $\mathrm{V}_{\mathrm{j}}$, to uniquely define each edge between $\mathrm{V}_{\mathrm{i}}$ to $\mathrm{V}_{\mathrm{j}}$ we define $\mathrm{E}_{\mathrm{ij}}$ as $\mathrm{E}_{\mathrm{ijk}}$. Where $\{k=1,2 \ldots . e\}$ and e is the total number of edges directed from $V_{i}$ to $V_{j}$.
Now the another parameter of the system model is A (agent),

$$
A=S A \cup J A \cup T A
$$

Where $\quad S A=\left\{S A_{i} \mid i=1,2 \ldots . n\right\}$
$S A_{i} \in S A$ represents a Station Agent with an unique id i which is static in nature.

$$
J A=\left\{J A_{i} \mid i=1,2 \ldots m\right\}
$$

$J A_{i} \in J A$ represents a Junction Agent with an unique id i which is static in nature.
According to model:

$$
\Phi: S A \rightarrow S
$$

$$
\Phi: J A \rightarrow J
$$

$\Phi$ is a function which deploys an agent $S A_{i} \epsilon S A$ into a station node Si $\epsilon$ S. $\Phi$ also maps a agent $J A_{i} \in J A$ into a Junction point $J_{i} \in J$ and keeps the information of $J_{i}$.

$$
T A=\left\{T A_{i} \mid i=1,2 \ldots . N\right\}
$$

Where, $T A i \epsilon T A$ symbolize a Train Agent with an unique id i which can travel in the graph $G$ with a predefine strategy. $N=$ Total number of trains in the system.

$$
\Phi_{M}: T A \rightarrow(V \cup E)
$$

$\Phi_{M}$ is a Mapping function that a mobile agent $\mathrm{TA}_{\mathrm{i}} \in \mathrm{TA}$ at any time instance $t$ should be deployed on any point of the graph G. In our system model a train agent can be defined by the following attributes,

$$
T A_{i:}<I D, R, S T, W T, M P S>
$$

Where, $\boldsymbol{I D}=$ Unique id of the train agent TAi. $\boldsymbol{R}[i][j]$ is List of stations that $T A_{i}$ must follow as its Route and $\{j=1,2 \ldots . n\}$, while $n$ is the total number of stations in the route of $T A i$. $\boldsymbol{S T [ i ] [ j ]}$ is Schedule time of $T A_{i}$ in the $j^{\text {th }}$ station ( $\mathrm{R}[\mathrm{i}][j]$ ), WT[i][j] is Waiting time of $\mathrm{TAi}_{\mathrm{i}}$ in the $\mathrm{j}^{\text {th }}$ station ( $\mathrm{R}[\mathrm{i}][\mathrm{j}]$ ), MPS is Maximum permissible speed of $T A_{i}$.

## Similarly SAj: <ID,Capacity,LT,AS,Edge>

And $J A_{k}$ : $<$ ID,LT,AS,Edge,B>
Where, ID is Unique id of the respective agent, Capacity is maximum number of trains $S A_{j}$ can hold at a time, $L T[p]$ is List of trains those left $S A_{j}$ or $J A_{k}$ but still not reached to the next stop, $A S[p]$ is List of adjacent stations of $S A_{j}$ or $J A_{k}$, Edge[p] is List of outgoing edges of $S A_{i}$, and $B$ is the boolean status of junction point.


Fig 2 : System Model

## B. BDI Architecture of the System

To differentiate among tags of BDI, we give the following well defined structure to represent belief, desire and intension. The predicates and functions which we use frequently to define the BDI of a agent are summarized in Table: I.

1) Belief Logic Tags: $\quad<$ B A Belief $_{1}>$

Here $<>$ is used to denote the tags. First character of tag can have three possible characters $B, D$ and $I$ which denote the tag type. $B$ is used for Belief tags. Second character of the tag contains agent id. In above belief tag, we put the agent id $A$, who has the state of environment Belief $_{1}$ as belief.

[^0]Similarly, here $D$ denotes the tag type that is desire and $A$ denotes the agent id. The above tag denotes that agent $A$ has desire Desire $_{1}$. Like $<D T A_{1}$ CurrentSpeed(MPS) $>$ tag denotes that TA1 has a desire to gain the MPS.
3) Intension Logic Tags: <I A Intension ${ }_{1}>$

Intension is a desire with commitment to fulfill it. So the difference between the Intension and desire tag is tag type symbol only. Rest parts of the tag remain same for an intension tag of a agent like desire tag.

Table I: Predicates used by Agents

| Predicates | Description |
| :---: | :---: |
| CurrentSpeed(x) | Current speed of train agent is $x$ |
| CurrentEdge(x) | Current running edge of train agent is x |
| TrainPriority(x) | Priority of train agent $x$ |
| InFront(x) | Train x is in front of a train agent |
| CriticalDistance(x, y) | Agent x and y are at critical distance |
| PassRequest(x) | Pass request is to be send to agent x |
| PassRequestReceived(x) | Train agent has received a request to pass from train x |
| HasPassRequest(x) Train agent has a request to pass from train agent x |  |
| Accelerate(x) | Accelerate train agent x |
| Deaccelerate(x) | Deaccelerate train agent $x$ |
| SendPassRequest(x,y) T | Train agent x sends a request to pass to agent y |
| NextStop(x) | Train agent has next stoppage at x |
| NextStation(x) | Train agent has next arrival station x |
| NextEdge(x) | At track path of train, next coming edge is x |
| PlatformRequests(x) | Station has $x$ number of requests for platform |
| SendEdgeRequest(e, x) | Train/Station agent sends a request to agent x for edge e |
| BidirectionalEdge(x) | x is a bidirectional edge |
| StopFlag(True/False) | Flag set by Station/Junction to Deny/Allow a train to enter |
| Payoff(x,pay) | Train agent $x$ has payoff value pay |
| PassFlag(True/False) | Flag set by train agent to Allow/Deny for pass |
| LoopEdge(x) | $x$ is a loop edge |
| PlatformCapacity(x) | x Platforms are free at a station |

## v. Problem Formulation and Solution

Problem 1 : If two trains or mobile agents are running on the same edge (obviously in the same direction) and relative distance between them becomes less than a critical distance, then probability of collision becomes very high.

Solution 1: Two train agents $T A_{1}$ and $T A_{2}$ are moving at same edge e in same direction and $T A_{2}$ is rear train. We take TrainPriority $\left(T A_{2}\right)>\operatorname{TrainPriority}\left(T A_{1}\right)$ and MPS of $T A_{2}$ higher than MPS of $T A_{1}$ as assumptions. First assumption means when $T A_{2}$ comes at critical distance with $T A_{1}, T A_{2}$ deaccelerates upto speed of $T A_{1}$ and $T A_{1}$ should provide a pass
to $T A_{2}$ on request. To achieve this solution, $T A_{1}$ and $T A_{2}$ will follow the Algorithm: 1.

```
if }\langleBT\mp@subsup{A}{1}{}\mathrm{ CurrentSpeed(sp1)}\wedge\mathrm{ CurrentEdge(e)\
then
    \langleD TA A CurrentSpeed(mps)\rangle;
end
if }\langleBT\mp@subsup{A}{2}{}\mathrm{ CurrentSpeed(sp2)^CurrentEdge(e)^
InFront (TA A ) ^CriticalDistance(TA 
    \langleD TA A2 CurrentSpeed(mps)\rangle;
    \D TA A PassRequest (TA A ) ;
end
```

//Now these desires will become the Intension for the system ;

```
if \(\left\langle I T A_{1}\right.\) CurrentSpeed \(\left.(\mathrm{mps})\right\rangle\) then
    Accelerate \(\left(T A_{1}\right)\);
    Untill \(\langle B\) TA1 CurrentSpeed(mps) \(\rangle\);
end
if \(\left\langle I T A_{2}\right.\) CurrentSpeed \(\left(\right.\) CurrentSpeed \(\left.\left(T A_{1}\right)\right) \wedge\)
\(\left.\operatorname{PassRequest}\left(T A_{1}\right)\right\rangle\) then
    Deaccelerate \(\left(T A_{2}\right)\)
    Untill \(\left\langle B\right.\) TA \(A_{2}\) CurrentSpeed(CurrentSpeed \(\left.\left(T A_{1}\right)\right) \wedge \sim\)
    CriticalDistance \(\left(T A_{2}, T A_{1}\right)\);
    if \(\left\langle B T A_{2}\right.\) TrainPriority \(\left(T A_{2}\right) \geq\)
    TrainPriority \(\left.\left(T A_{1}\right)\right\rangle\) then
        SendPassRequest \(\left(T A_{2}, T A_{1}\right)\);
        Untill \(\left\langle B T A_{2}\left\langle B T A_{1}\right.\right.\)
        PassRequestReceived \(\left.\left.\left(T A_{2}\right)\right\rangle\right\rangle\);
    end
end
```

while $\left\langle B T A_{2} \operatorname{InFront}\left(T A_{1}\right)\right\rangle$ do
if $\left\langle B T A_{2}\right.$ PassFlag(True) $\wedge \sim$
CriticalDistance $\left.\left(T A_{2}, T A_{1}\right)\right\rangle$ then
$\left\langle D T A_{2}\right.$ CurrentSpeed (mps) $) ;$
end
if $\left\langle I T A_{2}\right.$ CurrentSpeed $\left.(\mathrm{mps})\right\rangle$ then
Accelerate $\left(T A_{2}\right)$;
Untill $\left\langle B\right.$ TA $A_{2}$ CurrentSpeed(mps) $\rangle \wedge$
$\left\langle B T A_{1} \operatorname{InFront}\left(T A_{2}\right)\right\rangle$;
end
end

Algorithm 1 : Maintain Critical Distance and Passing of Train( $T A_{1}, T A_{2}$, Edge )

Problem 2: Every station Si 2 S has a predefined capacity (Maximum number of trains it can hold at any time instance). So, at time $t$ if all the platforms of a station is occupied and a train wants to enter, a collision may occur.

Solution 2: Train agent TA wants to enter in station SA and demand a platform from SA to stay. We are taking a Platform flag which is set by SA only. This flag has two values: True for permission grant to train to acquire platform and False for deny. Flag will be set True by SA if a Platform is available. Algorithm: 2 gives solution of platform allotment.

```
if \(\langle B\) TA CurrentSpeed \((s p) \wedge N \operatorname{extStop}(S A) \wedge\)
NextStation \((S A) \wedge\) CriticalDistance \((T A, S A)\rangle\) then
    \(\langle D\) TA GetPlateform \((S A)\rangle\);
    \(\langle D\) TA CurrentSpeed \((0)\rangle\);
end
if \(\langle B\) SA PlatformCapacity \((\sim\)
Full \() \wedge\) PlatformRequests \((\sim\) Null \()\rangle\) then
    \(\langle D\) SA PlatformFlag(True) \(\rangle\);
end
while \(\langle I\) TA GetPlatform \((S A)\rangle\) do
    if \(\langle I\) SA PlatformFlag(True) \(\rangle\) then
        SetPlatformFlag(True) ;
        else
            \(\langle D\) SA PlatformFlag(True) \(\rangle\);
    end
    if \(\langle I\) TA GetPlatform \((S A)\rangle\) then
        if \(\langle B\) TA PlatformFlag(True) \(\rangle\) then
                GetPlatform(SA);
                \(\langle B\) TA GotPlatform(SA) ;
            else
                Deaccelerate(TA) ;
                Untill \(\langle B\) TA CurrentSpeed \((0)\rangle\);
            end
        end
end
```

Algorithm 2 : Platform Allotment (TA, SA)


Fig 3: Railway model with Loop Edge

Problem 3: Whenever a train enters in a Junction point where it should not stop and in its outgoing edge another train is waiting within the Critical Distance, then a collision may occur.

Solution 3: A Junction agent presents at any meeting point of more than two edges. Here we are assuming a junction point in between loop edge le and normal edge shown in figure 3 . Algorithm: 3 will be followed to solve this problem.

Problem 4: A bidirectional edge exists in between two stations $S A_{1}$ and $S A_{2}$ or vertices $V_{i}$ and $V_{j}$ then collision may happen if two trains are moving in opposite direction.

Solution 4: $S A_{1}$ and $S A_{2}$ have only edge in between them is e and it is bidirectional so only one train can use this edge at a
time. Here we are assuming that $S A_{1}$ is request sending initiator. Train $T A_{1}$ is waiting at $S A_{1}$ with payoff value pay1 and train $T A_{2}$ is waiting at $S A_{2}$ with payoff value pay2. After negotiation in between $S A_{1}$ and $S A_{2}$, the edge will be allowed to use by the train who has higher payoff value. Algorithm: 4 will come in light to solve this problem.

```
if }\langleBT\mp@subsup{A}{1}{}\mathrm{ CurrentEdge(e) ^NextJunction(JA)^
HasPassRequest (TA A ) ^\langleB JA LoopEdge(le) )\rangle
then
    \langleD TA GetLoopEdge(le));
end
if }\langleIT\mp@subsup{A}{1}{}\mathrm{ GetLoopEdge(le)\ then
    if
        \langleB JA LoopEdge(le) ^LoopEdgeStatus(Free)\rangle
        then
            <I JA SetLoopFlag(True)\rangle;
            Train TA (All GetLoopEdge(le) ;
        else
            <I JA SetLoopFlag(False)\rangle;
            Stop Train TA1 ;
        end
end
```

Algorithm 3: Junction at Loop Edge ( $T A_{1}, J A$ )
if $\left\langle B S A_{1}\left\langle B T A_{1} \operatorname{NextEdge}(e)\right\rangle \wedge\right.$ BidirectionalEdge $(e) \wedge \operatorname{Payoff}\left(T A_{1}\right.$, pay 1$\left.)\right\rangle$ then $\left\langle D S A_{1}\right.$ SendEdgeRequest $\left.\left(e, S A_{2}\right)\right\rangle$; end
if $\left\langle B S A_{2}\left\langle B T A_{2} \operatorname{NextEdge}(e)\right\rangle \wedge\right.$
BidirectionalEdge $(e) \wedge \operatorname{Payoff}\left(T A_{2}\right.$, pay 2$\left.)\right\rangle$ then
$\left\langle D \quad S A_{2}\right.$ SendEdgeRequest $\left.\left(e, S A_{1}\right)\right\rangle$;
end
if $\left\langle I S A_{1}\right.$ SendEdgeRequest $\left.\left(e, S A_{2}\right)\right\rangle$ then
SendEdgeRequest(e, $S A_{2}$ );
if $\left\langle B S A_{2} \operatorname{Payoff}\left(T A_{1}\right.\right.$, pay 1$\left.)\right\rangle$
Payof $f\left(T A_{2}\right.$, pay 2$\left.)\right\rangle$ then
(D SA $A_{2}$ StopFlag(False));
if $\left\langle I S A_{2}\right.$ StopFlag(False) $\rangle$ then
SetStopFlag = False ;
//Permission granted to $T A_{1}$ to use edge e
end
else
$\left\langle D\right.$ SA $A_{2}$ StopFlag(True) $)$;
if $\left\langle I S A_{2} \operatorname{StopFlag}(\right.$ True $\left.)\right\rangle$ then
SetStopFlag = True ;
$/ /$ Permission denied to $T A_{1}$ to use edge e
end
end
end

Algorithm 4: Bidirectional Edge Negotiation (SA1, $\left.S A_{2}, e\right)$

## vi. Case Study

For the application of our BDI predicate logic, we take an example railway scenario (Figure:3) in which we take two station and two train agents who have unique ids and these are $S A_{1}, S A_{2}, T A_{1}, T A_{2}$ for station1, station2, train1, train2 respectively. These agents have their own beliefs, desires and intentions and decide the action plan accordingly. To use our proposed algorithms in this scenario, we classify the scenario in sub scenarios as When two trains are at same edge (trains are moving in same direction) and within critical distance and another When a train is entering into a station.

Train $T A_{1}$ has left from $S A_{1}$ at time $t_{1}$ and after $\Delta t$ interval of time, train $T A_{2}$ also left from $S A_{1}$ at same edge The train priority of $T A_{2}$ is higher than train $T A_{1}$ and $M P S$ of $T A_{2}$ is also higher than $T A_{1}$. So we can say that after a certain time interval $T A_{1}$ and $T A_{2}$ will be at critical distance. $T A_{1}$ and $T A_{2}$ are in communication and rear train $T A_{2}$ follows the Algorithm: 1 to avoid the collision. The overall idea of the Algorithm: 1 can be shown by the following predicate logics.
$\forall x \forall y$ CriticalDistance $(y, x) \wedge \operatorname{InFront}(x) \rightarrow$ Deaccelerate $(y)$
$\forall x \forall y$ CriticalDistance $(y, x) \wedge \operatorname{InFront}(x) \wedge \operatorname{HighPriority}(y) \rightarrow$ Deaccelerate(y) ^ PassRequest( $y, x$ )
where x , y represents the trains.
After successful execution of Algorithm: 1 the train $T A_{2}$ is in front of $T A_{1}$ and it moves towards the next station $S A_{2}$. Now the problem of platform allotment comes in the light. After coming at a critical distance with $\mathrm{SA}_{2}$, the message passing takes place in between $\mathrm{TA}_{2} \& \mathrm{SA}_{2}$ and Algorithm 2 is used. The platform is acquired by $\mathrm{TA}_{2}$ if platform flag is True. Platform flag is set True or False by station agent after checking available platform capacity. Algorithm: 2 can be concluded by the following logic.

```
    \forallt \forall s CriticalDistance(t, s) }->\mathrm{ Deaccelerate(t) ^
PlateformRequest(t,s)
```

Where $t$, $s$ represent train and station respectively. After getting a positive response from station $S A_{2}$, train $T A_{2}$ acquires the platform which has flag value as True.

## viI. Conclusion

In this paper we propose a BDI logic based modeling of railway system which gives a strong foundation to solve the problems of existing railway system and also gives an autonomous shape to it. Our proposed model promotes the utilization of predicate logics with multi agent system to enhance the quality of service of the system. In a concise form we can state that this paper is directed to develop a BDI agent based autonomous railway system (with the rule base as a backbone) which can overcome the fallacy of manual intervention and human dependency.

The future prospect of this work will be simulate the whole network with JADE (which is a Java based agent oriented tool) by using the real dataset collected from the ASANSOL division of Eastern Railways, India which can give the flavor of real
time simulation. Then we want to deploy our system in a real physical environment to achieve our final.

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[^0]:    2) Desire Logic Tags: $<D$ A Desire ${ }_{1}>$
