EVALUATE THE CYLINDRICAL RUBBER FENDER RESPONSE UNDER DYNAMIC LOAD

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Abstract

Fender systems are very important part in marine and offshore structures. They are used to decrease the influence of impact forces of vessels during berthing or mooring conditions. This paper focuses the evaluating response cylindrical rubber fender (Length = 5m, outer diameter = 0.5 m and inner diameter = 0.25m) subjected to impact load that comes from a mooring ship with capacity 330,000 DWT. Three curves are drawn representing the mechanical response of the cylindrical rubber fender under the influence of impact load, the first curve is the highest response and represents the result of the impact due to the initial speed of ship, but the other curves represent the reaction of cylindrical rubber fender after the initial impact.

Keywords: Cylindrical Rubber fender, Dynamic analysis, Fender reaction-time.

1. Introduction

In order to obtain a good result when designing a marine fender system, the dynamic interaction between the fender and ships is very essential. The

dynamic analysis is capable to explain the absorbed energy by fenders accurately and describe the requirements of an operational performance. Many analyses methods are available, which describe the energy of a mooring ship that to be reduced and evaluating the reaction force for the fender. The energy method is the first, commonly and simple approach that used. Lee [1] using the energy method to estimating the hydrodynamic factors and stiffness's of overall system, the values which is used are empirical and ignored the damping of the system. Alternate statistical methods consider data obtained from model measurements to calculate the design value of energy due to mooring impact and absorption energy of fenders. Sevedsen [2] calculated the design value of the absorbed energy by a fender with selected amount of risk in the design; the disadvantage of this technique is in obtaining the statistical data for the problem. Kim [3] suggested a simpler and approximate method, the dependent on the use of time average of the kinetic energy of the mooring ship during the time interval of fender compression; this method is applicable to ships in calm water and berthing broadside. Cortmerssen Van developed a solution for time domain to forces and motions; these methods use Impulse Response Function Techniques.



2. Dynamic Response of the Fender

The simple model shown in Figure 1 explains the dynamic of a ship impacting a fender. The fender is represented by a frictionless mass (Mf) connected to a dashpot and spring and the ship is represented by a second frictionless mass with first velocity Vo. At first, before impact the fender it is in static

equilibrium. When the impact happened, the ship mass and fender mass becomes coupled then the spring is compacted by the ship mass with slow and stopped at maximum displacement. The strain energy is kept in the spring and pushed the ship return to the stability case where it discrete with the fender.

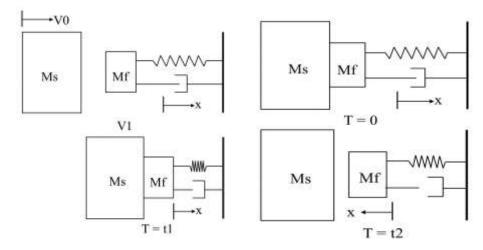


Figure 1; the dynamics of a ship impacting a cylindrical rubber fender

3. Kinetic Energy of Fender

The behaviour of a fender system to dynamic forces is based on the stiffness's and damping properties of the fender. The fender stiffness can be obtained from the test performed by assuming the fender is a perfectly elastic, while the damping properties of fender are not estimated. The design of fender system is mostly dependent on the energy considerations. The kinetic energy of a ship is absorbed by the fender and transformed to the structure with equal value of energy. The general formulation of kinetic energy can be calculated using Equation 1.

$$E = \frac{1}{2} M_S V_0^2 C_M C_E C_S$$
 1

Where M_S ship mass, V_0 initial velocity of ships, C_M add mass coefficient, C_E eccentricity coefficient, and C_S structural deformation coefficient.

The absorbed energy of the fender is represented by the work performed by the fender, this kinetic energy is expressed in equation 2, and this equation is not dependent of the fender shape and the fender properties (Load – deflection curve) [5].

$$E = W = \int_{y_{t_0}}^{y_{t_1}} F(t) \, dy$$
 2

4. Dynamic Model

The calculation of free motion is governed by the second low of Newton's; it's known by the partial differential



formulation [6] for a system with single degree of freedom,

$$m\ddot{y} + c\dot{y} + ky = 0$$

Where k, c and m represent the stiffness, damping and mass, and, y, \dot{y} , and \ddot{y} , are the displacement, velocity, and acceleration. For multi-degree of freedom structure, there is a system of N number of natural frequencies and N combined differential equation containing N number of modes. A multi-degree of freedom structure can be expressed in terms of its modals coordinate; the formulation of dynamic motion is alike procedure to the single degree of freedom procedure.

$$M_n \dot{q_n} + C_n \dot{q}_n + K_n q_n = 0 4$$

Where,

$$M_n = \overline{\emptyset}_n^T m \overline{\emptyset}_n$$
 , $C_n = \overline{\emptyset}_n^T c \overline{\emptyset}_n$ and $K_n = \overline{\emptyset}_n^T k \overline{\emptyset}_n$ 5

The amount of modal q_n , q_n and q_n , in Eq. (4) is similar to \ddot{y} , \dot{y} , and y, in the one dimension equation of dynamic motion. Where $\overline{\emptyset}_n$ represents the vector that defines the deflected shape of the lump mass for any model of oscillation. Eq. (4) become:

$$\dot{q_n} + 2\xi_n \omega_n \, \dot{q}_n + \omega_n^2 q_n = 0 \tag{6}$$

The result of equation (6) is analogous form to the result of a single degree of freedom system calculated by using

$$q_n(t) = \left(q_n(0)\cos\omega_{nd}t + \left(\frac{\dot{q}_n(0) + \xi_n\omega_n q_n(0)}{\omega_{nd}}\right)\sin\omega_{nd}t\right) \exp(-\xi_n\omega_n t)$$

Where,

$$q_n(0) = \frac{\overline{\emptyset}_n^T m \, \overline{y}(0)}{M_n}$$
and
$$\dot{q}_n(0) = \frac{\overline{\emptyset}_n^T m \, \overline{y}(0)}{M_n}$$
8

The values of $q_n(0)$ and $\dot{q}_n(0)$ represent the primary conditions of the structure. Equation (7) is simplified to the following;

$$q_n(t) = \left(\left(\frac{\dot{q}_n(0)}{\omega_{nd}} \right) \sin \omega_{nd} t \right) \exp(-\xi_n \omega_n t)$$
 9

The natural frequency of damped of all modes of oscillation (ω_{nd}) is a function of the damping ratio (ξ_n) and the natural frequency of undamped (ω_n) given by

$$\omega_{nd} = \omega_n \sqrt{1 - {\xi_n}^2}$$
 10

The natural frequency of undamped of all modes (ω_n) is calculated by solving the typical equation

$$det[k - \omega_n \, m] = 0 \tag{11}$$

And the identical_mode shape $(\overline{\emptyset}_n)$ is calculated by using equation (12)

$$[k - \omega_n \, m] \overline{\emptyset}_n = 0 \tag{12}$$

Also the value of $\overline{\emptyset}_n$ and ω_n is calculated together by using the Eigen value function in the MATLAB program. Multiplying Eq. (9) by the identical mode shapes and summarization the behaviour of any mode to calculated the time-displacement varying.

$$\bar{y}(t) = \sum_{n=1}^{\infty} \bar{\emptyset}_n \left(\left(\frac{\dot{y}(0)}{\omega_{nd}} \right) \sin \omega_{nd} t \right) \exp(-\xi_n \omega_n t)$$



Similarly, the applied force to the structure during the cylindrical rubber fender (F) is calculated from the spring stiffness and displacement at the upper most nodes

$$F(t) = k_f . y(t)$$
 14

5. Application

Cylindrical Rubber fender is used in this study and the analytical method is used to

explain the reaction force for the fender. The capacity of a tanker ship is 330000 DWT and the dimensions is length 415 m, beam 63 m, draft 35 m and the approaching velocity V0=15cm/sec. the cylindrical rubber fender with length 5 m, outer diameter 0.5 m and inside diameter 0.25 m, the characteristics of fender as shown in the figures 2 and 3. An average damping of 19% was estimated using the velocity time history of the ship.

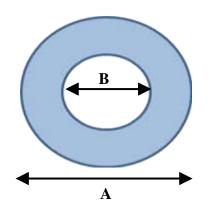
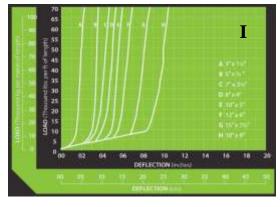




Figure 2:- Cylindrical Rubber Fender dimensions and properties [7]



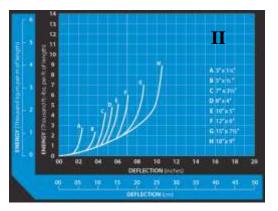


Figure3:- cylindrical rubber fender properties
I- Load Deflection Curves, II- Energy Deflection Curves [7]

6. Results

Figure 3 shows the reaction force as a function of time to the cylindrical rubber fender, three curve are drawn, the first curve represents the first case of impact

the velocity at maximum value (V0 = 15 m/sec) after that the ship is pushed back by the fender reaction and return to impact fender with velocity V1 and the reaction of fender is less than the first case because of the reduction in the



energy applied, then the reaction force is decrease with time and applied energy. In design offshore structure the envelope of the reaction force is taken to find the response of these structures.

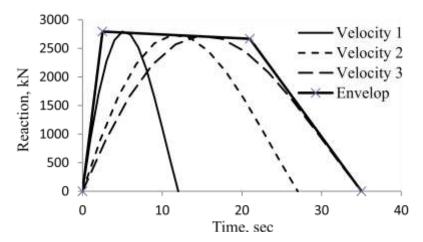


Figure 4:- Reaction-Time Relation for Cylindrical Rubber fender

7- Conclusions

The new developed method was used to calculate the reaction force as a function of time for cylindrical rubber fender and a tanker ship with capacity 330000 DWT only. This method is different from the classical kinetic energy method; the dynamic method assumes the energy losses in the system that happens through ship impact. This method is in good agreement compared with the method used by Al-Jasim [8].

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